# MATH 426 - Assignment 6 Part I

## June 17, 2008

#### **1** Anonymous Functions and Function Handles

First write a function simp(f, a, b, n) which uses Simpson's rule to approximate the definite integral of f(x) over the interval [a, b] using n subintervals (n even). The implementation of the function will be very similar to that of trap.m we saw in the lecture. Next, write a script file in which which you will define the functions

 $f(x) = \sin(\sqrt{x}) \quad x \in [0, \frac{\pi}{2}]$  $g(x) = e^{\cos(x)} \quad x \in [0, \pi]$ 

as anonymous functions and then use simp to compute the definite integral of each function over the given interval. Use n = 4, 8, 16, 32, ..., 512 and print a table as follows:

n	I(f)	I(g)
2 4 8	1.05997075 1.09734946 1.11043794	3.71030536 3.97173128 3.97746305
16	1.11503637	3.97746326
32	1.11665656	3.97746326
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### 2 Subfunctions - Functions Handles

Write a function deriv(f, x0, h) that uses the following finite difference formula

$$Df(x_0) = \frac{f(x_0 + h) - f(x_0 - h)}{2h}$$

to approximate the derivative  $f'(x_0)$  of f(x) at  $x = x_0$ . Then, write another function testDeriv with header

function testDeriv

which computes the derivative of  $f(x) = \cos(\frac{x}{2}) + \sin(2x)$  over the interval  $[-\pi, \pi]$ , and plots the function f(x) and its derivative in the same plot (use a suitably small value of h).

You will need to define the function f(x) as a subfunction of testDeriv.

## 3 Another Experiment With Function Handles

Write a function

x=bisection(f, a, b, tol)

which finds a zero of f(x) in the interval [a, b], using the bisection algorithm discussed in class.

Then, find the zero of the following functions near the given points:  $f(x) = \cos(\frac{x}{2}) + \sin(2x) \quad \text{near } x = 2$   $g(x) = x - 5\ln(x) \quad \text{near } x = 1$ 

In writing the driver routine that calls **bisection** you are free to define the functions f(x) and g(x) as anonymous functions or subfunctions (in which case the driver routine will itself be a function).